

## Contributed Paper

# Characteristics of Post-Disruption Runaway Electrons with Impurity Pellet Injection

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Characteristics of post-disruption runaway electrons with impurity pellet injection were investigated for the first time using the JT-60U tokamak device. A clear deposition of impurity neon ice pellets was observed in a post-disruption runaway plasma. The pellet ablation was attributed to the energy deposition of relativistic runaway electrons in the pellet. A high normalized electron density was stably obtained with  $n_e^{\text{bar}}/n^{\text{GW}} \sim 2.2$ . Effects of prompt exhaust of runaway electrons and reduction of runaway plasma current without large amplitude MHD activities were found. One possible explanation for the basic behavior of runaway plasma current is that it follows the balance of avalanche generation of runaway electrons and slowing down predicted by the Andersson-Helander model, including the combined effect of collisional pitch angle scattering and synchrotron radiation. Our results suggested that the impurity pellet injection reduced the energy of runaway electrons in a stepwise manner.

## Keywords

tokamak, JT-60, disruption, runaway electrons, mitigation, impurity pellet, avalanche generation, slowing down, stopping power, synchrotron radiation

## 1. Introduction

Relativistic runaway electrons are generated in the tokamak device when electrons are continuously accelerated by an electric field to high energy that overcomes the deceleration drag mechanisms in a plasma [1]. In particular, many runaway electrons can be generated during a major disruption with an energy level of up to several tens MeV when sufficiently high toroidal electric field is induced [2]. As a result, runaway plasma in which most of the plasma current is driven by runaway electrons can be formed at the post-disruption phase.

In the International Thermonuclear Experimental Reactor (ITER), it is predicted that runaway electron current would reach a level of more than half that of the pre-disruption plasma current [2,3]. Runaway electrons generated by the disruption could damage first wall materials and in-vessel components of ITER. For instance, a numerical simulation study indicated that beryllium armor would be melted for a few millimeter thickness by localized deposition of 10 MeV runaway electrons with a power density of  $50 \text{ MWm}^{-2}$  [4]. Therefore, to establish ways to avoid the generation of runaway electrons is an important topic in ITER [1,5]. And in fact, several techniques have been demonstrated to avoid runaway electrons generation at disruption [6-11].

It is also important to mitigate the once generated runaway electrons at the post-disruption phase. A basic approach is to keep the runaway plasma in a divertor configuration to avoid unfavorable localized irradiation of runaway electrons to the first wall, and to await gradual reductions in the energy and population of runaway electrons [12]. These reductions can be stimulated by applying a negative loop voltage. However, such an approach is prevented by the fast growth of positional instabilities like the vertical displacement event (VDE) [13]. It is also prevented by a failure to achieve the desired position and shape control of the plasma. When VDE occurs, however, runaway electrons are quickly exhausted from the plasma due to the spontaneous appearance of large-amplitude MHD activities when the plasma surface safety factor  $q_s$  becomes as small as 2 or 3 concomitant with a decrease in the plasma minor radius [14-16]. This is desirable from the viewpoint of terminating runaway electrons, but the pulsed and localized heat load on the first wall due to the irradiation of exhausted runaway electrons as in the study of H. Tamai et al. [15] becomes a concern.

Based on the background above, we have investigated an approach to mitigate and terminate runaway electrons by the use of external actuators, e.g., pellet injection. In a previous

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study, hydrogen pellet injection into a discharge with runaway electrons during the flat top phase was carried out in the TEXTOR tokamak [17]. The discharge was terminated by the pellet injection with appearance of stochastic MHD activities in the bulk plasma. However, it is not clear whether a similar behavior occurs in a post-disruption runaway plasma in which most of the current is driven by runaway electrons and the bulk plasma temperature is as low as  $\sim 10$  eV. Impurity pellet injection into RF current driven plasmas of the JIPP T-IIU tokamak has shown a pellet deposition profile different than that using Ohmic plasmas [18], and current-driven plasmas could survive against the impurity pellet injection, while Ohmic plasmas were disrupted. However, the conditions were different from those in the post-disruption runaway plasmas, since the temperature of the target bulk electrons was relatively as high as  $\sim 300$  eV, and the temperature of the non-thermal tail electrons produced by RF current drive was non-relativistic and as low as 90 keV.

In this paper, the first experiment to study the effects of impurity pellet injection on post-disruption runaway electrons [19,20] is described. Newly revealed characteristics of a runaway plasma are also presented.

## 2. Evolution of Runaway Electrons and External Actuators for their Mitigation

The temporal evolution of runaway electrons is approximately expressed as [14]

$$dn_r/dt = n_e v_{\text{coll}} S(E/E_c^D, Z_{\text{eff}}) + n_r/\tau_s - n_r/\tau_{\text{loss}}, \quad (1)$$

where  $n_r$  is the density of runaway electrons,  $n_e$  the density of bulk plasma electrons,  $v_{\text{coll}}$  the bulk electron collision frequency,  $Z_{\text{eff}}$  the effective charge of plasma, and  $E$  the electric field parallel to the magnetic field. The 1st term and the 2nd term on the right-hand side of eq. (1) indicate the generation of runaway electrons by the Dreicer process and the generation by the avalanche process, respectively. Here, the critical electric field of the Dreicer process,  $E_c^D$ , is expressed as

$$E_c^D = e^3 n_e Z_{\text{eff}} \ln \Lambda / (4\pi \epsilon_0^2 m_e v_{\text{th}}^2), \quad (2)$$

where  $e$  is the electron charge,  $m_e$  the electron rest mass,  $c$  the speed of light,  $\epsilon_0$  the dielectric constant of vacuum,  $\ln \Lambda$  the Coulomb logarithm, and  $v_{\text{th}}$  the electron thermal velocity. This  $E_c^D$  provides the condition under which the most of thermal electrons run away. The critical electric field of the avalanche process  $E_c^A$  is written as

$$E_c^A = e^3 n_T \ln \Lambda / (4\pi \epsilon_0^2 m c^2) \sim 0.12 \times 10^{-20} n_T, \quad (3)$$

where  $n_T$  is the total density of free and bound electrons in a plasma. In the avalanche process, new runaway electrons are generated by close collision with existing runaway electrons. The energy distribution of avalanche runaway electrons would have an exponentially folding shape. When  $E > E_c^A$  and all newly generated avalanche runaway electrons are confined in

a plasma, the time constant for the exponential growth of the number of runaway electrons  $\tau_s$  is expressed as [21]

$$\tau_s = 2m_e c \ln \Lambda a(Z_{\text{eff}}) / eE, \quad (4)$$

where  $a(Z_{\text{eff}}) = (2 + Z_{\text{eff}})/3$  [22]. Here, the toroidal electric field  $E_t = V_{\text{loop}}/2\pi R_p$  supplies the accelerating electric field, where  $V_{\text{loop}}$  is the one turn loop voltage and  $R_p$  the plasma major radius. In large tokamak devices, it is recognized that the avalanche process could be the major process for generation of runaway electrons during a disruption due to their fast growth under a high electric field. For instance, in JT-60U,  $\tau_s$  is calculated as  $\sim 70$  ms for  $E \sim E_t \sim 1.5$  V/m ( $V_{\text{loop}} \sim 30$  V),  $\sim 7$  ms for  $E \sim E_t \sim 15$  V/m ( $V_{\text{loop}} \sim 300$  V), in the case of  $R_p = 3.3$  m,  $\ln \Lambda = 18$ ,  $Z_{\text{eff}} = 3$ . The 3rd term on the right-hand side of eq. (1) is the time constant of the loss process  $\tau_{\text{loss}}$ , which represents any loss and dumping process of runaway electrons.

At first, the slowing down of relativistic electrons by collisional friction with bulk plasma is considered to be a basic process for mitigation of runaway electrons. The friction force  $F_{\text{fric}}$ , which includes contributions from both bulk electrons and ions to relativistic electrons, is written by [23] as

$$F_{\text{fric}} = (e^4 n_e \ln \Lambda / 4\pi \epsilon_0^2 m_e c^2) \{1 + (Z_{\text{eff}} + 1)/\gamma\}, \quad (5)$$

and then the frictional slowing down time  $\tau_{\text{fric}}$  is defined as

$$\tau_{\text{fric}} = \gamma m_e c / F_{\text{fric}}, \quad (6)$$

where  $\gamma$  is the relativistic Lorentz factor defined as  $\gamma = mc^2/m_e c^2 = (1 - \beta^2)^{-1/2}$ ,  $\beta$  the ratio of the speed of electron  $v$  to  $c$  defined as  $\beta = v/c$ ,  $m$  the mass of a relativistic electron. In the high  $\gamma$  region,  $\tau_{\text{fric}}$  becomes longer as  $\gamma$  increases, and it is noteworthy that  $F_{\text{fric}}$  has a weak dependence on  $\gamma$  and hence on  $Z_{\text{eff}}$ . In the case of  $\gamma = 40$ , which corresponds to energy of runaway electron  $W_r$  of  $\sim 20$  MeV, and  $Z_{\text{eff}} = 3$ ,  $\tau_{\text{fric}} = 6.8 \times 10^{19} n_e^{-1}$ ; then  $\tau_{\text{fric}} \sim 6.8$  s for  $n_e = 1 \times 10^{19} \text{ m}^{-3}$  and  $\tau_{\text{fric}} \sim 0.68$  s for  $n_e = 1 \times 10^{20} \text{ m}^{-3}$ .

Candidates for external actuators include (i) injection of massive impurities or hydrogen to increase the friction force due to high  $n_e$  (and  $Z_{\text{eff}}$  in the case in impurities), (ii) plasma heating to modify bulk plasma parameters such as  $n_e$ ,  $T_e$ ,  $Z_{\text{eff}}$ , and  $E$ , (iii) applying a negative loop voltage to reduce the energy of runaway electrons and to avoid new generation by the avalanche process, and (iv) applying an error field for excitation of large-amplitude MHD activities. As the first step, we consider that impurity pellet injection can be a good candidate as a quick actuator for increase in  $n_e$  and  $Z_{\text{eff}}$ . However, since the bulk electron temperature  $T_e$  is as low as  $\sim 10$  eV for a post-disruption runaway plasma, as measured by Thomson scattering diagnostic in JT-60U [24], the ablation rate of a pellet by bulk electrons seems very small. So, we expect that the pellet ablation occurs due to runaway electrons themselves.

### 3. Experiment and Analysis

#### 3.1 Formation of post-disruption runaway plasma

Figure 1 shows the schematic for the impurity pellet injection experiment into a post-disruption runaway plasma in JT-60U, and Fig.2 shows waveforms of the experiment (discharge number E38150). A series of impurity neon ice pellets (2.1 mm cube ( $\sim 4 \times 10^{20}$  neon atoms),  $\sim 700$  m/s, 5 Hz, low field side mid-plane injection) are injected into an Ohmically heated hydrogen discharge with parameters of  $I_p = 0.85$  MA,  $B_t = 3.73$  T,  $a_p \sim 1.1$  m,  $R_p \sim 3.5$  m,  $V_p \sim 85$  m<sup>3</sup>,  $q_s \sim 13$ ,  $n_e(0) \sim 1 \times 10^{19}$  m<sup>-3</sup>,  $T_e(0) \sim 2.3$  keV, where  $I_p$  is the plasma current,  $B_t$  the toroidal magnetic field,  $a_p$  the averaged plasma minor radius, and  $V_p$  the plasma volume, and where “(0)” denotes the value at the plasma center. The 1st pellet functions as a “killer pellet” [6] to cause an intentional disruption accompanied by a runaway plasma phase with a starting current of  $\sim 0.5$  MA. For the period of  $t = 12.24$  s  $\sim 12.29$  s, the central ECRF injection (O-mode,  $f_{\text{ECRF}} = 110$  GHz,  $P_{\text{ECRF}} \sim 500$  kW) was applied to study its effects on the runaway plasma, but apparent responses were not observed. For  $t = 12.3$  s  $\sim 13.15$  s in Fig.2,  $V_{\text{loop}}$  is less than  $\sim 5$  V. Since the Ohmic current for  $V_{\text{loop}} \sim 5$  V is estimated to be as negligibly small as  $< 10$  kA due to the high plasma resistivity for low  $T_e$  of  $\sim 10$  eV and  $Z_{\text{eff}} \sim 3$ , most of the plasma current is driven by runaway electrons. Unfortunately, reliable  $T_e$  measurement for the runaway plasma was not available for this experiment. However, in cases in which a sufficient number of runaway electrons were not generated, we usually observed that the plasma vanished away even with similar or higher loop voltage at the disruption, and this fact supported the notion that the plasma current is mainly driven by runaway electrons. The plasma current  $\sim 0.5$  MA corresponds to the total number of runaway electrons of  $N_r = 2\pi R_p I_p / ec \sim 2.3 \times 10^{17}$  electrons. In order to study the effects of impurity pellet injection, the current control of the runaway plasma was programmed for a stable target with a slightly decreased current, as indicated by the command value  $I_p^{\text{com}}$  in Fig.2. It is noteworthy that there were no large amplitude MHD activities at the impurity pellet injections during the runaway plasma phase, and thus the effects of MHD activities for mitigating runaway electrons would not seem to be particularly significant.

Figure 3 shows the changes in plasma shape and position. A divertor configuration was maintained until  $t \sim 12.95$  s, and then the plasma began to shrink with outer-touched limiter configuration. The analyses and discussions in the later sections were made mainly for the period in which the divertor configuration was maintained.

#### 3.2 Deposition of impurity pellets in runaway plasma and evaluation of the charge number

Six successive neon ice pellets were injected into the post-disruption runaway plasma, and we observed a clear increase in the line-integrated bulk electron density,  $\int n_e dl$ , measured by far-infrared laser interferometry along the central vertical chord ch.2 ( $r/a \sim 0$ ) for the 2nd to 4th pellet injection,

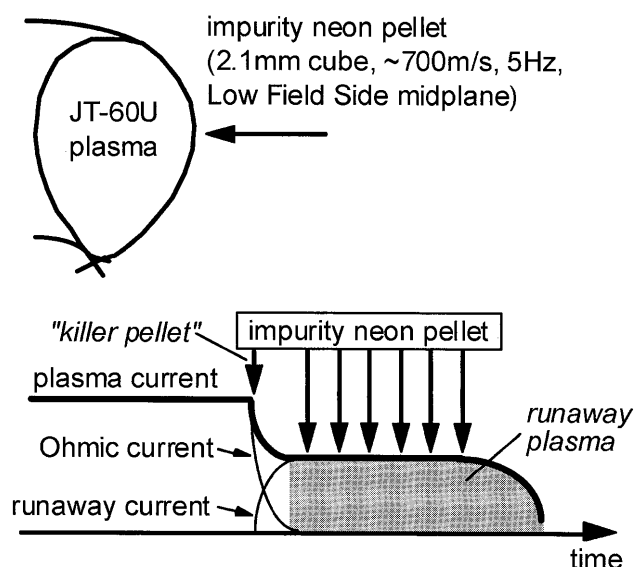


Fig. 1 Schematic of the experiment of impurity neon pellet injection in JT-60U to study mitigation effects on a post-disruption runaway electrons.

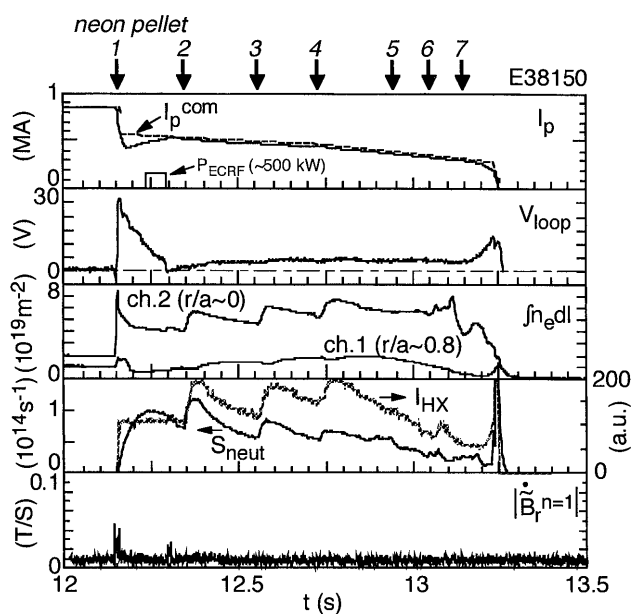


Fig. 2 Waveforms of the experiment of impurity neon pellet injection into the post-disruption runaway plasma (discharge number E38150).  $I_p$ : plasma current,  $I_p^{\text{com}}$ : command value of plasma current,  $P_{\text{ECRF}}$ : injection power of ECRF,  $V_{\text{loop}}$ : one turn loop voltage,  $\int n_e dl$ : line integrated electron density,  $S_{\text{neut}}$ : photo-neutron emission rate,  $I_{\text{HX}}$ : hard X-ray intensity (X-ray energy  $> \sim 1$  MeV),  $|\tilde{B}_r^{n=1}|$ : amplitude of MHD activity of  $n = 1$  mode.

as shown in Fig.2 (“ $a$ ” is the plasma minor radius along radial direction). These increments of bulk electron density show that the impurity neon pellets were deposited in the post-disruption runaway plasma. However, as seen in Fig.2, the post-disruption runaway plasma survived and showed good resistance against these impurity pellet injections. Hence, the

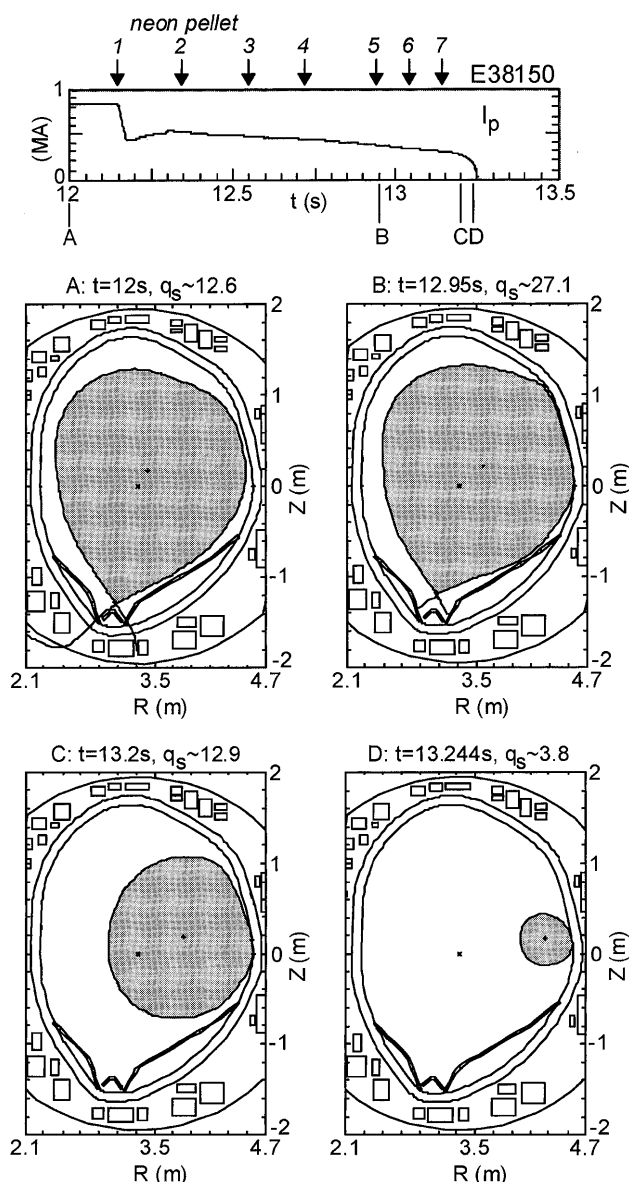


Fig. 3 Change in the plasma shape and position for the experiment of impurity neon pellet injection into the post-disruption runaway plasma.  $q_s$ : surface safety factor of plasma.

post-disruption runaway plasma exhibited different behavior than that of the standard Ohmic discharge.

The ablation rate for the neon ice pellet by the bulk electrons is given by the neutral gas shielding (NGS) model [25] as

$$\frac{dN_p}{dt} = k_z n_e^{0.333} T_e^{1.64} r_p^{1.333} M_i^{-0.333}, \quad (7)$$

$n_e$  in  $\text{cm}^{-3}$ ,  $T_e$  in eV,

where  $N_p$  is the number of ablated pellet atoms,  $k_z$  the coefficient for the pellet of the Z atom ( $k_z = 2.32 \times 10^{15} \text{ s}^{-1}$  for neon),  $r_p$  the pellet radius, and  $M_i$  the atomic mass in amu ( $M_i = 20.18$  for neon). According to this model, the ablation rate and ablation time of the 1st pellet (killer pellet) can be estimated for different  $T_e$  as  $\sim 6.7 \times 10^{22}$  atoms/s and  $\sim 6$  ms

for  $T_e = 1$  keV,  $\sim 1.3 \times 10^{23}$  atoms/s and  $\sim 3$  ms for  $T_e = 1.5$  keV, and  $\sim 2.6 \times 10^{23}$  atoms/s and  $\sim 1.5$  ms for  $T_e = 2.3$  keV. Since these ablation times are comparable to the transverse time of the pellet in the plasma calculated as  $2 \times a/\text{pellet speed} \sim 2.2 \text{ m}/(\sim 700 \text{ m/s}) \sim 3$  ms, the 1st pellet seems to have been ablated well in the plasma. (This is supported by the rise time of  $\int n_e dl$  ( $r/a \sim 0$ ) after the 1st pellet injection of  $\sim 5$  ms.) On the other hand, the ablation times of the 2nd to 4th pellet in the runaway plasma are calculated as about 10 s for  $T_e \sim 10$  eV. Such a very long ablation time means that the pellet ablation by the bulk electrons was not effective.

Therefore, we conjecture that the runaway electrons made a significant contribution to the pellet ablation. Under the simple assumption that the spatial profile of runaway electrons is flat in the plasma,  $\sim 1.1 \times 10^{16}$  runaway electrons would pass through a pellet cross section over a period of 3 ms. Taking the mass stopping power of a 20 MeV runaway electron due to the ionization process of neon as  $\sim 2 \text{ MeV}/(\text{g}/\text{cm}^2)$  (see Fig.10), the mass density of solid neon as  $\sim 1.44 \text{ g}/\text{cm}^3$ , and the target length as  $\sim 2$  mm, the deposited energy to the pellet is calculated to be  $\sim 6.8 \times 10^{15} \text{ MeV}$ . (The contribution from the stopping power due to bremsstrahlung radiation  $\sim 0.7 \text{ MeV}/(\text{g}/\text{cm}^2)$  is neglected here, since that radiation seems to pass through the pellet.) Then, with the average energy to create a neon ion of  $\sim 36.6$  eV [26],  $\sim 1.9 \times 10^{20}$  neon atoms can be ionized for 3 ms, and this number is about the half of the number of neon atoms in the pellet. (The sublimation energy of neon ice is as small as 0.022 eV/atom [25], and it is neglected here.) The runaway electrons presumably have a centrally peaked profile, which is supported by the visible TV camera images, and thus the number of ionized neon atoms seems to be increased by the increase in deposited energy. Though this is a very rough estimation and the change in pellet size during ablation process is not included, it seems reasonable to expect that nearly all or a substantial number of neon atoms in the pellet are ionized. In the experiment, rise times of increments of  $\int n_e dl$  ( $r/a \sim 0$ ) were observed as 30–50 ms. To explain these rise times, we consider a hypothesis that the ionization of neon is progressed by runaway electrons (and/or by bulk electrons) up to the equilibrium ionization point that is mainly determined by  $T_e$ .

In the runaway plasma, the central bulk electron density was increased with each impurity pellet injection, as seen in  $\int n_e dl$  ( $r/a \sim 0$ ), while there were only slight responses in  $\int n_e dl$  ( $r/a \sim 0.8$ ). This means that the pellet was not deposited at the peripheral and edge region of  $r/a > \sim 0.8$  but at the central region of the plasma. As a result, the profile of bulk electron density became peaked profile. Actually, at  $t \sim 12.78$  s in the discharge E38150 (see Fig.2), the ratio of  $\int n_e dl$  ( $r/a \sim 0$ ) to  $\int n_e dl$  ( $r/a \sim 0.8$ ) was  $\sim 4.8$ , while the ratio at  $t \sim 12$  s was  $\sim 2$ . At that time, the Greenwald density factor  $n_e^{\text{bar}}/n^{\text{GW}}$  became  $\sim 2.2$ , where  $n_e^{\text{bar}} \sim 2.9 \times 10^{19} \text{ m}^{-3}$ ,  $n^{\text{GW}} = I_p/\pi a^2 \sim 1.3 \times 10^{19} \text{ m}^{-3}$ ,  $I_p \sim 0.42$  MA,  $a \sim 1$  m. It is also seen that this high bulk electron density was stably obtained. Thus, good particle confinement in the runaway plasma is indicated. When we consider that the ordinary density limit is dependent on the power balance

between the Ohmic input and radiation loss, and hence that the ordinary density limit is related to  $T_e$ , this high density would seem to be due to the fact that the runaway current is basically independent of the power balance.

It is important to know  $Z_{\text{eff}}$  and the charge number of neon  $Z_{\text{Ne}}$  of the runaway plasma for evaluation of the slowing down time of runaway electrons. The  $Z_{\text{eff}}$  value is evaluated from the visible bremsstrahlung emission measurement obtained in another discharge E38152 as shown in Fig.4. Since the intensity of visible bremsstrahlung emission  $I_{\text{vb}}$  is proportional to  $\int Z_{\text{eff}} n_e^2 T_e^{-1/2} dl$ , the ratio of  $I_{\text{vb}}$  to  $(\int n_e dl)^2$ ,  $K$ , indicates  $Z_{\text{eff}}^{\text{bar}} (T_e^{\text{bar}})^{-1/2}$  ("bar" denotes the line averaged value.) The value of  $Z_{\text{eff}}^{\text{bar}}$  before disruption at  $t \sim 11.9$  s is calculated to be  $\sim 1.3$  using the profile data of  $n_e$  and  $T_e$ . The change in  $K$  between before the disruption phase ( $t = 12$  s) and the runaway plasma phase ( $t = 12.5$  s) is seen as  $\sim 20$  in Fig.4. When we take  $T_e^{\text{bar}}$  of  $\sim 1$  keV before the disruption phase and  $\sim 10$  eV during the runaway plasma phase, the change in  $Z_{\text{eff}}^{\text{bar}}$  should be approximately twofold; hence  $Z_{\text{eff}}^{\text{bar}}$  during the runaway phase is estimated as  $\sim 2.6$  in this discharge, and it does not vary substantially during this period. As shown in Fig.4, the ECRF injection and the helium gas puffing were applied in this discharge, but no significant responses were observed. For the discharge E38150, unfortunately  $I_{\text{vb}}$  was saturated at pellet injection timings due to higher detector sensitivity. However, based on a measured  $Z_{\text{eff}}^{\text{bar}}$  value of  $\sim 1.5$  before disruption and assuming the same multiplication factor of  $\sim 2$  obtained in E38152,  $Z_{\text{eff}}^{\text{bar}}$  is evaluated to be  $\sim 3$  for the runaway plasma phase in E38150.

By looking at the response of the bulk electron density, we can also estimate  $Z_{\text{Ne}}$  of the plasma. For the 2nd pellet, the increment of the line-averaged electron density  $\Delta\{\int n_e dl(r/a \sim 0)/\int dl\}$  of  $\sim 0.72 \times 10^{19} \text{ m}^{-3}$  ( $\int dl$  is the chord length of the interferometry in the plasma  $\sim 2.3$  m) is  $\sim 30\%$  of that for the 1st "killer pellet" of  $\sim 2.4 \times 10^{19} \text{ m}^{-3}$ . If we assume that the neon atoms are fully ionized for the 1st pellet, i.e.,  $Z_{\text{Ne}}$  is 10,  $Z_{\text{Ne}}$  for the 2nd pellet can be estimated as  $\sim 3$ . Also,  $Z_{\text{Ne}} \sim 3$  is consistent with the expected ionization equilibrium of neon calculated for  $T_e = 10$  eV.

These analyses first showed that the post-disruption runaway plasma with impurity neon pellet injections is nearly the neon plasma of  $Z_{\text{Ne}} \sim Z_{\text{eff}} \sim 3$  for  $T_e \sim 10$  eV and  $n_e^{\text{bar}}/n^{\text{GW}} > \sim 2$ .

### 3.3 Prompt exhaust of runaway electrons by impurity pellet injection

For injections of the 2nd to 4th pellets, an increase in the neutron emission rate  $S_{\text{neut}}$  was observed, as shown in Figs.2 and 5. The  $S_{\text{neut}}$  indicates the photo-neutrons emitted when high energy runaway electrons were exhausted from the plasma. In the case that runaway electrons hit the target structure, intense bremsstrahlung gamma rays can be produced, and these gamma rays can interact with the nuclei of the target materials via the photo-nuclear reaction, which in turn can cause photo-neutrons to be emitted from those nuclei. There are no measurements to show the distribution of hit points of runaway electrons, but the divertor tiles are a possible target, since the runaway electrons transported to the scrape-off layer

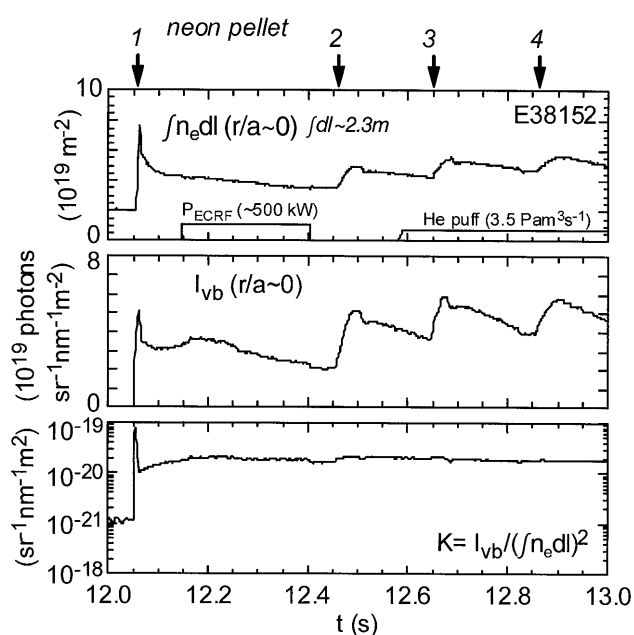


Fig. 4 Data from the visible bremsstrahlung emission measurement for evaluation of  $Z_{\text{eff}}$  (discharge number E38152).  $\int n_e dl$ : line integrated electron density,  $I_{\text{vb}}$ : intensity of visible bremsstrahlung emission,  $K$ : ratio of  $I_{\text{vb}}$  to  $(\int n_e dl)^2$ .

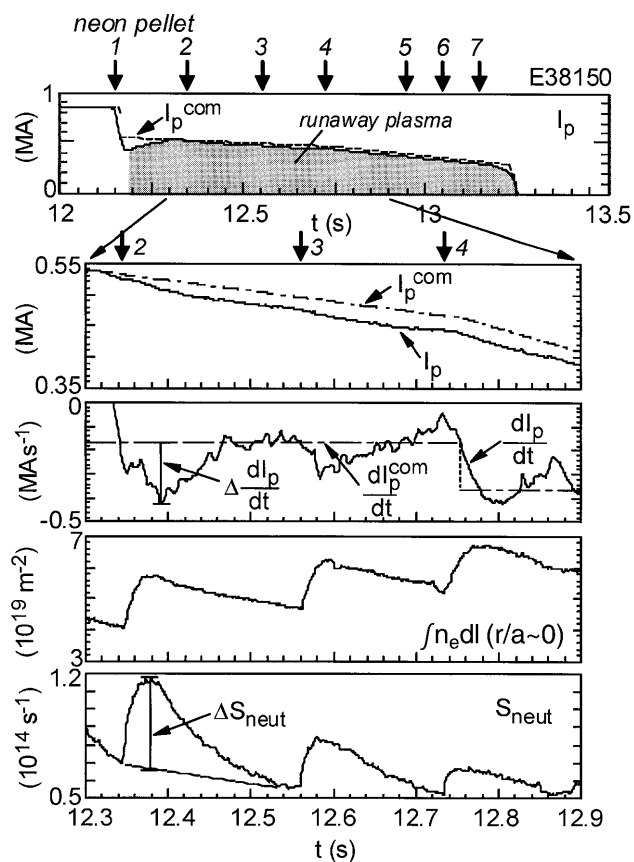


Fig. 5 A detailed waveforms of the experiment of impurity pellet injection into the post-disruption runaway plasma.  $dI_p/dt$ : decay rate of plasma current (with 10 ms signal filtering),  $dI_p^{\text{com}}/dt$ : command value of decay rate of plasma current.

may pass along the open magnetic field line. Another possible target is the outer board first wall for runaway electrons in the case that their drift orbit is shifted outward to approach the first wall. Therefore, one of the main elements for the photo-nuclear reaction is the carbon which is used for the divertor tiles and first wall tiles. Considering the penetration of gamma rays in the target material, another important element would be the nickel abundantly included in the Inconel 625 alloy which is used for the vacuum vessel. The threshold energies of photo-nuclear reactions are  $\sim 26$  MeV for carbon and  $8\sim 30$  MeV for nickel, respectively [27]. The free-fall accelerated electron energy is calculated with accelerating loop voltage (flux change) as  $\gamma = [1 + \{e[V_{\text{loop}} dt / (2\pi R_p m_e c)]^2\}^{1/2}]$  [27] to be  $\sim 24$  MeV with  $\int V_{\text{loop}} dt \sim 1.7$  Vs at  $t = 12.3$  s. Though we should recognize that the energy distribution of runaway electrons must be spread, we consider that the maximum energy of runaway electrons  $W_r$  can be up to  $20\sim 30$  MeV at  $t = 12.3$  s.

By looking at the waveform of  $I_p$  corresponding to the increase in  $S_{\text{neut}}$  in detail, we observed a reduction of runaway plasma current, as seen in Fig.5. The current decay rate,  $dI_p/dt$ , clearly shows such a reduction apart from the command value  $dI_p^{\text{com}}/dt$ . After such a reduction,  $I_p$  recovers to approximately the command value again. We think this recovery is mainly due to the new generation of runaway electrons by the avalanche process, as discussed below in Sec. 3.4.

For the period between  $t = 12.34$  s and  $t = 12.39$  s in Fig.5, the reduction of  $I_p$  is estimated as  $\sim 3$  kA, which corresponds to a loss of  $\sim 1.5 \times 10^{15}$  runaway electrons, and the increment of the neutron yield is  $\sim 1.5 \times 10^{12}$  neutrons during the same period. Here, the ratio of neutron yield per runaway electron  $Y_n$  is approximately  $\sim 10^{-3}$ . A scaling law for determining the photo-neutron yield for disruption-generated runaway electrons was developed in JET as  $Y_n = (W_r/60) \times 2.9 \times 10^{-3}$  neutrons per electron [27]. Then, when we take  $W_r = 20$  MeV, a similar value of  $Y_n \sim 10^{-3}$  is obtained from the scaling law. This indicates that the exhaust of runaway electrons from the plasma makes a substantial contribution to the reduction of  $I_p$ . Since signals from two neutron monitors which are installed apart from each other in the toroidal direction show similar signals of photo-neutrons, we conclude that the runaway electrons were exhausted with good toroidal symmetry. The rise time of  $S_{\text{neut}}$  of  $30\sim 50$  ms is longer than the time scale of  $S_{\text{neut}}$  observed in the termination by a large MHD burst during VDE as  $\sim 5$  ms [15]; this seems to be a better condition from the viewpoint of reduction of the peak irradiation power onto target tiles. These are beneficial features for avoiding localized and pulsed irradiation of runaway electrons to the wall.

Figure 6 shows the relationship between the increment of the decay rate of the runaway plasma current  $\Delta dI_p/dt$  and the increment of the photo-neutron signal  $\Delta S_{\text{neut}}$  for the 2<sup>nd</sup> to 4<sup>th</sup> pellet injections. Since there is an approximately linear relationship between  $\Delta dI_p/dt$  and  $\Delta S_{\text{neut}}$ , the larger reduction of the runaway current is attributed to the larger exhaust of runaway electrons

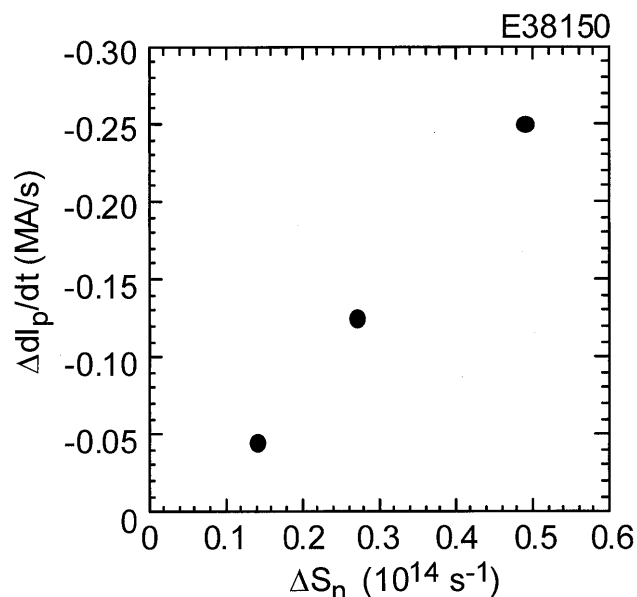


Fig. 6 Relationship between the increment of the decay rate of the runaway plasma current  $\Delta dI_p/dt$  and the increment of the photo-neutron emission rate  $\Delta S_{\text{neut}}$  for the 2<sup>nd</sup> to 4<sup>th</sup> pellets injection. Definitions of  $\Delta dI_p/dt$  and  $\Delta S_{\text{neut}}$  are shown in Fig.5.

### 3.4 Characteristic time scales for behavior of runaway plasma current

Figure 7 shows the behavior of characteristic time scales for the post-disruption runaway plasma current. The decay time of the runaway plasma current  $\tau_{\text{Ip-decay}} = I_p / (-dI_p/dt)$  at the pellet interval time, e.g.,  $t \sim 12.55$  s, is  $\sim 3$  s, which is similar to the command value of the current decay time  $\tau_{\text{Ip-decay}}^{\text{com}} = I_p^{\text{com}} / (-dI_p^{\text{com}}/dt)$ . On the other hand, after pellet injection,  $\tau_{\text{Ip-decay}}$  becomes shorter than the command value by a factor of  $\sim 2$  for the 2<sup>nd</sup> and 3<sup>rd</sup> pellet, e.g.,  $\sim 1.5$  s at  $t \sim 12.39$  s and  $t \sim 12.58$  s.

The  $\tau_{\text{fric}}$  calculated for  $W_r = 20$  MeV and  $Z_{\text{eff}} = 3$  is about 3 s, which is a value similar to that of  $\tau_{\text{Ip-decay}}^{\text{com}}$  until  $t \sim 12.76$  s. If the frictional drag force is the main mechanism of the slowing down, and it determines the decay of the runaway plasma current, little loop voltage would be required to keep the current when  $\tau_{\text{Ip-decay}} \sim \tau_{\text{Ip-decay}}^{\text{com}}$ . However, a  $V_{\text{loop}}$  of several Volts is supplied in the experiment to keep  $I_p$  close to  $I_p^{\text{com}}$  even when  $\tau_{\text{Ip-decay}} \sim \tau_{\text{Ip-decay}}^{\text{com}}$ , as seen in Fig.7. Such a  $V_{\text{loop}}$  could result in avalanche generation of runaway electrons with a time constant  $\tau_s$  of  $< \sim 0.8$  s after  $t = 12.42$  s, as shown in Fig.7. The value of  $E/E_c^A$  is  $\sim 4.5$  at  $t = 12.42$  s and  $\sim 5.7$  at  $t = 12.54$  s. Since we require a rather low  $W_r$  of  $\sim 5$  MeV to obtain a  $\tau_{\text{fric}}$  comparable to  $\tau_s$  of  $\sim 0.8$  s in order to derive  $\tau_{\text{Ip-decay}}$ , the presence of another mechanism is suggested for the current decay.

As a candidate mechanism to explain the current decay, we apply the Andersson-Helander model with a combined effect of pitch angle scattering and radiation reaction [28,29]. In addition to the frictional drag, this model takes account of the fact that the pitch angle of a runaway electron to a magnetic

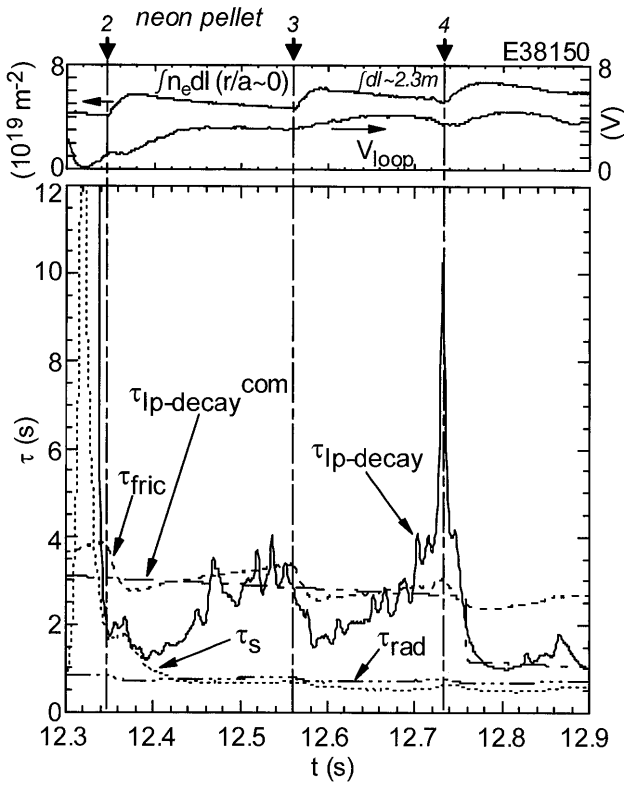


Fig. 7 Behavior of the characteristic time scales in the post-disruption runaway plasma with the impurity pellet injection.  $\tau_{ip-decay}$ : decay time of plasma current defined by  $I_p/(-dI_p/dt)$ ,  $\tau_{ip-decay}^{com}$ : command value of decay time of plasma current defined by  $I_p^{com}/(-dI_p^{com}/dt)$ ,  $\tau_s$ : generation time of runaway electrons by avalanche process,  $\tau_{fric}$ : slowing down time of an electron by frictional drag with the bulk plasma for electron energy  $W_r$  of 20 MeV and  $Z_{eff} = 3$ ,  $\tau_{rad}$ : slowing down time of an electron predicted by the Andersson-Helander model, including combined effect of collisional pitch angle scattering and synchrotron radiation.

field is increased by collision with bulk plasma particles, which results in the increase in synchrotron radiation from the runaway electron. The model provides the time constant  $\tau_{rad}$  and the relationship between  $\tau_{rad}$  and  $\tau_{fric}$  as

$$\tau_{fric}/\tau_{rad} = 3.2B_t/\{(1+Z)n_e\}^{0.5}, \quad n_e \text{ in } 10^{19} \text{ m}^{-3}. \quad (8)$$

The model was originally applied to explain the decay of a post-disruption current in the JET tokamak [28,30]. However, due to a lack of reliable measurements of  $n_e$  and  $Z$  during the post-disruption phase in JET, the analysis was made using assumed values, and thus uncertainty remained. On the other hand, the present analysis was made using both measured and estimated values of  $n_e$  and  $Z$ . The calculated  $\tau_{rad}$  with  $Z = Z_{eff} = 3$  and  $B_t = 3.73$  T is  $\sim 0.8$  s, as shown in Fig. 7. This  $\tau_{rad}$  is roughly comparable to  $\tau_s$ . Therefore,  $\tau_{rad}$  seems a counterpart of  $\tau_s$  to derive  $\tau_{ip-decay}$ .

Figure 8 shows comparison between  $\tau_{ip-decay}$  and the effective time constant  $\tau_{eff}$ , where  $\tau_{eff}$  is defined as  $-1/\tau_{eff} = 1/\tau_s - 1/\tau_{rad}$ . Generation of runaway electrons by the

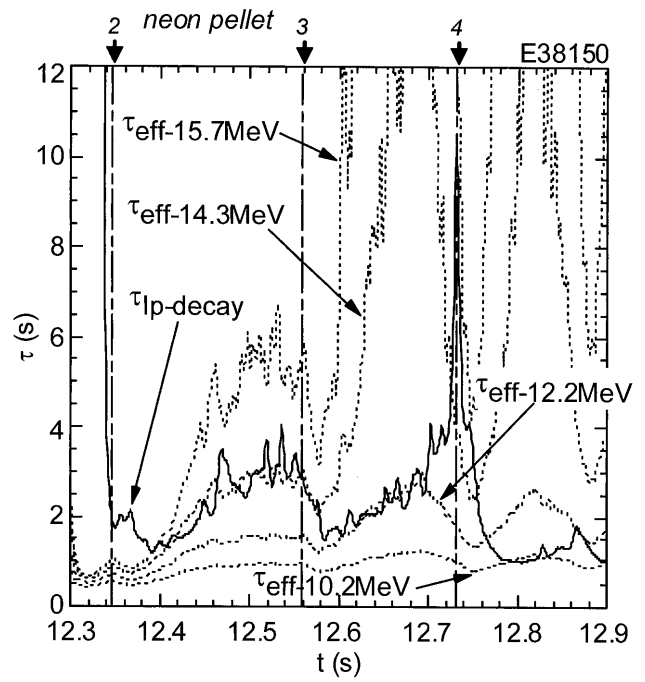


Fig. 8 Comparison between the decay time of the runaway plasma current  $\tau_{ip-decay}$  and the effective time constant  $\tau_{eff}$ . The  $\tau_{eff}$  is defined as  $-1/\tau_{eff} = 1/\tau_s - 1/\tau_{rad}$ . The  $\tau_{eff}$  with different electron energy  $W_r$  is denoted as  $\tau_{eff-W_r}$ .

Dreicer process is neglected due to very low  $T_e$ . In Fig. 8, the  $\tau_{eff-W_r}$  is calculated with different  $W_r$ , hence with different  $\tau_{rad}$ . As seen in Fig. 8,  $\tau_{eff}$  for  $W_r = 14.3$  MeV,  $\tau_{eff-14.3MeV}$ , is effectively reproduces the behavior of  $\tau_{ip-decay}$  from the beginning of the current recovery after the 2nd pellet injection, starting from  $t \sim 12.4$  s, to just after the 3rd pellet injection at  $t \sim 12.57$  s. However,  $\tau_{eff-14.3MeV}$  diverges from  $\tau_{ip-decay}$  from  $t \sim 12.57$  s, and this is not explained by the increase in bulk electron density. Then, we introduce the reduction of  $W_r$ ; i.e.,  $\tau_{eff}$  for  $W_r = 12.2$  MeV,  $\tau_{eff-12.2MeV}$ , reproduces  $\tau_{ip-decay}$  from  $t \sim 12.57$  s to  $t \sim 12.69$  s for the 3rd pellet injection (there is a relatively large increase in  $\tau_{ip-decay}$  around  $t \sim 12.71$  s, but the reason for this is not clear). For the 4th pellet injection,  $\tau_{eff}$  for  $W_r = 10.2$  MeV,  $\tau_{eff-10.2MeV}$ , provides close value of  $\tau_{ip-decay}$  for current recovery phase.

Thus, the basic behavior of the post-disruption runaway plasma current may be due to the balance of avalanche generation and slowing down by the Andersson-Helander model with a stepwise reduction of energy of runaway electrons at the impurity pellet injection. The step of energy reduction would be approximately 2 MeV per pellet injection. In addition, these results serve to an opportunity for validation of the Andersson-Helander model.

#### 4. Discussions

As shown in the previous section, with the impurity pellet injection, a prompt exhaust of runaway electrons was observed, and a stepwise energy reduction of runaway electrons was suggested. In order to reveal the precise dynamics of runaway electrons in the pellet and in the runaway plasma,

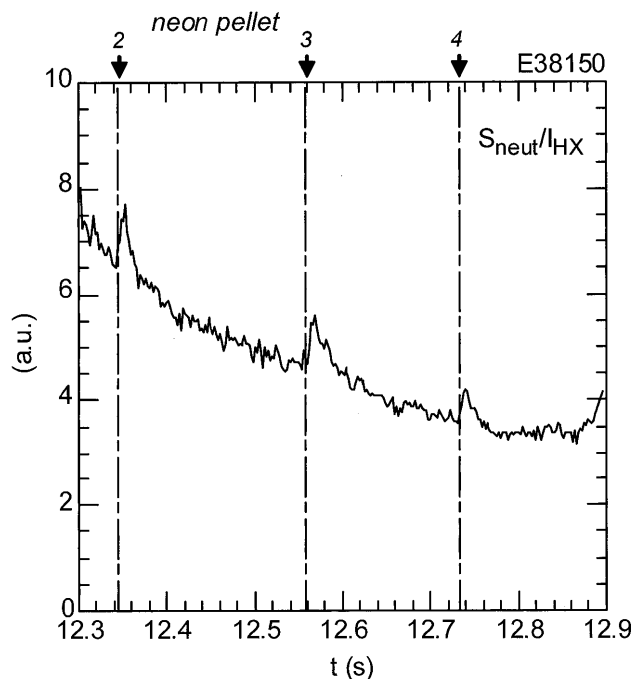


Fig. 9 Ratio of the photo-neutron emission rate  $S_{\text{neut}}$  and the hard X-ray intensity  $I_{\text{HX}}$ .

reliable diagnostics of energy and spatial distribution, theoretical models, and simulation studies are required. Since these are beyond the scope of this paper, we will limit ourselves to discussing some of the related issues.

If the stepwise reduction of  $W_r$  shown in Sec. 3.4 actually occurs, this means not only a new property of the runaway plasma but also an additional benefit for mitigation of post-disruption runaway electrons. Unfortunately, the energy distribution of runaway electrons was not measured directly in this experiment. Instead, we used the ratio of  $S_{\text{neut}}$  to the hard X-ray intensity  $I_{\text{HX}}$ ,  $S_{\text{neut}}/I_{\text{HX}}$ , as shown in Fig.9. While it is difficult to perform a precise and quantitative analysis using this ratio, the ratio is useful for discussing the change in energy distribution of lost runaway electrons. In Fig.9,  $S_{\text{neut}}/I_{\text{HX}}$  is generally decreasing in time, and this trend suggests that the energy distribution of runaway electrons is changed and the fraction of exhausted runaway electrons with higher energy becomes small. This appears to be consistent with the energy reduction indicated in Sec. 3.4. When looking at the results in more detail, however, we note the spike-like increases in  $S_{\text{neut}}/I_{\text{HX}}$  just after the pellet injections. These increases imply that the higher-energy runaway electrons are more efficiently exhausted by pellet injections.

As we note in Sec. 3.3, the exhaust effect of runaway electrons by the pellet injection becomes smaller with the latter injections, and for the 5th to 7th pellet injections, there is no obvious plasma response, as seen in Fig.2. In this figure, the pellet size measurement (before injection to plasma) indicated that the 5th pellet was broken and the size of the 6th pellet was smaller than the normal size. The pellet size of the 7th pellet was not particularly small. Though a decrease

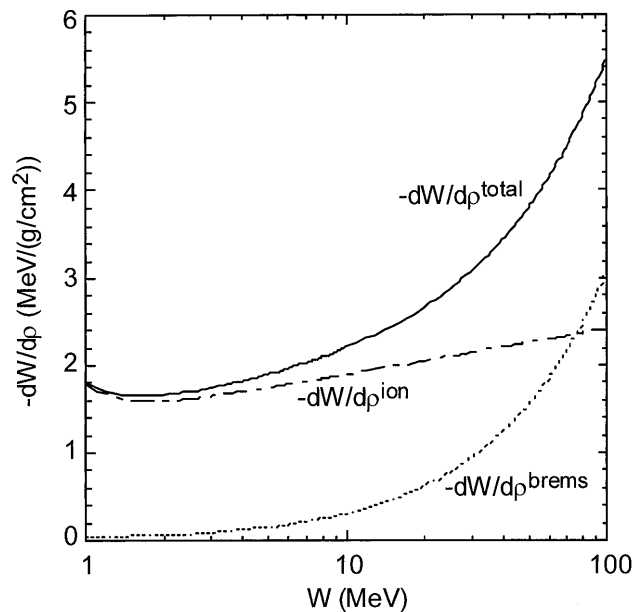


Fig. 10 Mass stopping power  $-dW/dp$  of a relativistic electron for neon.  $-dW/dp^{\text{total}}$ : total mass stopping power defined as  $-dW/dp^{\text{total}} = -(dW/dp^{\text{ion}} + dW/dp^{\text{brems}})$ , where  $dW/dp^{\text{ion}}$  is the stopping power by the ionization process and  $dW/dp^{\text{brems}}$  is the stopping power by the bremsstrahlung radiation process,  $W$  is the energy of a relativistic electron.

in the number of runaway electrons that corresponds to a decrease in  $I_p$  should be considered in the ablation process of injected pellets, we may expect some response in the signal of bulk electron density. Looking at the results from Sec. 3.4 suggesting  $W_r$  of  $\sim 10.2$  MeV after the 4th pellet, we suspect that there is a threshold energy of runaway electrons of  $\sim 10$  MeV for interaction with the impurity pellet.

Figure 10 shows the calculated mass stopping power of a relativistic electron  $-dW/dp$  for the case of neon using the Bethe-Heitler formula [26,31], where  $W$  is the energy of a relativistic electron, and  $\rho$  the surface mass density of the target material. In Fig.10, the total mass stopping power  $-dW/dp^{\text{total}}$  is defined as  $-dW/dp^{\text{total}} = -(dW/dp^{\text{ion}} + dW/dp^{\text{brems}})$ , where  $dW/dp^{\text{ion}}$  is the stopping power by an ionization process and  $dW/dp^{\text{brems}}$  is the stopping power by bremsstrahlung radiation. When we take  $-dW/dp^{\text{total}} \sim 2.7$  MeV/(g/cm<sup>2</sup>) for a 20 MeV electron, a mass density of solid neon  $\sim 1.44$  g/cm<sup>3</sup>, and an interaction length of  $\sim 2$  mm, a 20 MeV electron loses its energy of  $\sim 0.8$  MeV during its passage through the pellet. Within the pellet, we can imagine that the electron orbit is scattered throughout the dense material. We note that the mass stopping power increases as  $W$  increases in the region where  $W \geq 2$  MeV. Especially,  $-dW/dp^{\text{brems}}$  increases rapidly where  $W \geq \sim 10$  MeV, e.g.,  $-dW/dp^{\text{brems}}$  roughly doubles in value from 10 MeV to 20 MeV, i.e. from 0.31 MeV/(g/cm<sup>2</sup>) to 0.62 MeV/(g/cm<sup>2</sup>). The ratio of the stopping power to the electron energy is not substantially changed, but even at the same pitch angle, the higher-energy electron seems to emit higher synchrotron radiation, which is increased with square of the



perpendicular momentum of the electron to the magnetic field [28]. Also, the scattering may result in an increase in the radial transport of runaway electrons in the plasma, and such a transport seems to contribute to the enhancement of the exhaust of runaway electrons.

Estimating that there are  $\sim 2.3 \times 10^{17}$  runaway electrons for  $I_p \sim 0.5$  MA, the reduction step of electron energy by the pellet injection of  $\sim 2$  MeV corresponds to a total reduction of  $\sim 4.6 \times 10^{17}$  MeV. If the pellet was ablated by the runaway electrons up to the 3rd ionization state of the neon, then an energy of  $\sim 5.6 \times 10^{16}$  MeV would be needed for the  $\sim 4 \times 10^{20}$  neon atoms contained in a pellet, where the energies for the 2nd and the 3rd ionization for neon are 40.962 eV and 63.45 eV, respectively. As seen in Fig.10, the stopping power by the bremsstrahlung radiation is about 1/3 of that by ionization, and a bremsstrahlung radiation of  $\sim 1.9 \times 10^{16}$  MeV is expected to result from this process. So, the energy required for ionization and the bremsstrahlung radiation is  $\sim 7.5 \times 10^{16}$  MeV, which is only  $\sim 1/6$  of  $\sim 4.6 \times 10^{17}$  MeV. Again, the effects of scattering and synchrotron radiation in the pellet should be considered.

## 5. Summary

The experiment of impurity neon pellets injection into a post-disruption runaway plasma has been carried out to study their mitigating effects on runaway electrons. The runaway plasma was determined to be nearly equivalent to a neon plasma with  $Z_{\text{eff}} \sim 3$  for  $T_e \sim 10$  eV. The pellet ablation was attributed to the energy deposition of relativistic runaway electrons in the pellet. A high bulk electron density of  $n_e^{\text{bar}} \sim 2.9 \times 10^{19} \text{ m}^{-3}$  at  $I_p \sim 0.42$  MA was obtained with the Greenwald density factor  $n_e^{\text{bar}}/n^{\text{GW}}$  of  $\sim 2.2$ . The effects of prompt exhaust of runaway electrons from the plasma and reduction of runaway plasma current without large amplitude MHD activities were found. One possible explanation for the basic behavior of runaway plasma current is that it follows the balance of avalanche generation of runaway electrons and slowing down predicted by the Andersson-Helander model, including the combined effect of collisional pitch angle scattering and synchrotron radiation. It is suggested that the impurity pellet injection reduced the energy of runaway electrons in a stepwise manner such as from 14.3 MeV to 12.2 MeV and from 12.2 MeV to 10.2 MeV.

Our results thus reveal that injection of impurity pellets has mitigating effects on post-disruption runaway electrons, and should help to clarify the characteristics of runaway plasma.

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